

# Algebra 2

## 2-04 Graph Polynomial Functions (4.1, 4.8)

### Polynomial in One Variable

- Function that has \_\_\_\_\_ variable and there are powers of that variable and all the powers are \_\_\_\_\_.

$$4x^3 + 2x^2 + 2x + 5$$

$$100x^{1234} - 25x^{345} + 2x + 1$$

$$\frac{2}{x}$$

$$3xy^2$$

### Degree

- \_\_\_\_\_ power of the variable





What is the degree?  $4x^3 + 2x^2 + 2x + 5$

### Types of Polynomial Functions

Degree	Type	Example	Graph
0	_____	$y = 2$	
1	_____	$y = 2x + 1$	
2	_____	$y = 2x^2 + x - 1$	
3	_____	$y = 2x^3 + x^2 + x - 1$	
4	_____	$y = 2x^4 + 2x^2 - 1$	

### End Behavior

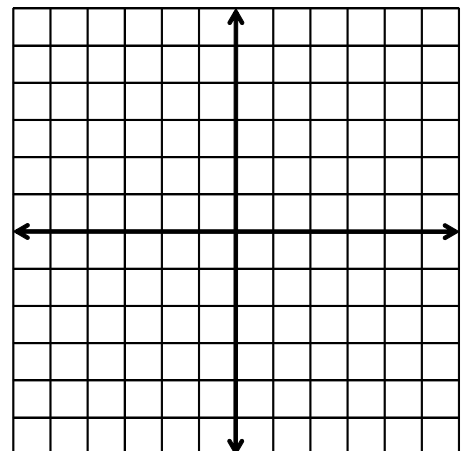
- Polynomial functions always go towards \_\_\_\_\_ or \_\_\_\_\_ at either \_\_\_\_\_ of the graph

	Leading Coefficient +	Leading Coefficient -
Even Degree		
Odd Degree		

### Graphing polynomial functions

- Make a \_\_\_\_\_
- \_\_\_\_\_ the points
- Make sure the graph matches the appropriate \_\_\_\_\_

Graph  $f(x) = x^3 + 2x - 4$



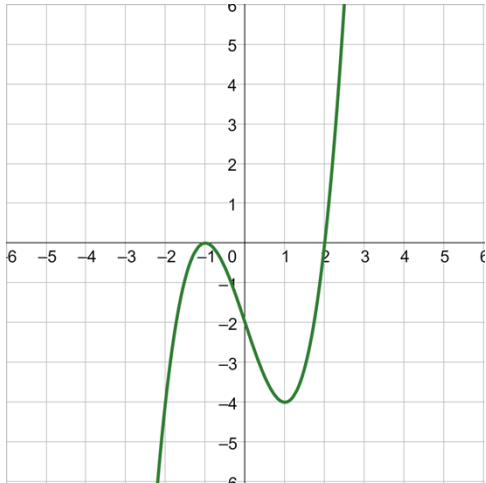
**x-intercepts**

- Points where the graph crosses the \_\_\_\_\_

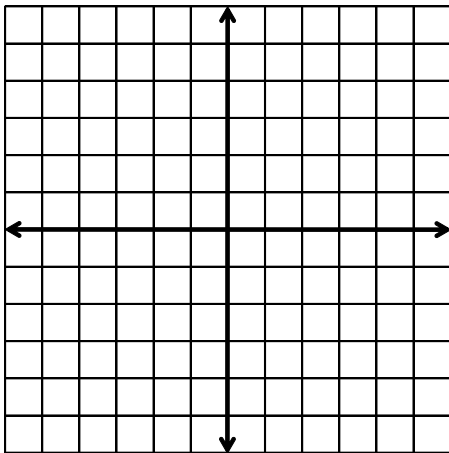
**Turning Points**

- Local \_\_\_\_\_ and \_\_\_\_\_ (turn from going up to down or down to up)
- The graph of every polynomial function of degree  $n$  can have at most \_\_\_\_\_ turning points.
- \_\_\_\_\_ lets you find the turning points easily.

What are the x-intercepts and turning points?



Graph  $f(x) = x^3 - 2x^2 - x + 2$  and estimate the x-intercepts and turning points.



158 #1, 3, 7, 19, 21, 23, 25, 29, 31; 210 #1, 3, 7, 23, 25, 27, Mixed Review = 20